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## fd\_natalinibriani\_affine3d\_swaption

### Input parameters:

- SpaceStepNumber  $N1$
- SpaceStepNumber  $N2$
- SpaceStepNumber  $N3$

### Output parameters:

- Price
- Delta

The instantaneous short rate is defined as a linear combination of 3 factors,  $r(t) = \delta + \sum_{j=1}^3 x_j(t)$ , described by Markov processes  $x_j(t)$ ,  $j = 1, 2, 3$ , following a Gaussian model:

$$dx_j(t) = -k_j x_j(t)dt + \sigma_j dW_j(t), \quad j = 1, 2, 3,$$

where:

- $\delta$ ,  $k_j$ ,  $\sigma_j$ , are constants for all the factors.
- $W_j(t)$ ,  $j = 1, 2, 3$  are three Brownian motions (under the risk-neutral measure) which are dependent with each other, with instantaneous correlation coefficients  $\rho_{ij}$ , for  $i, j = 1, 2, 3$ .

The algorithm compute the price on an option on coupon bearing.

The EDP associated with the option pricing problem is solved with a finite difference scheme. Details abouts this routine are in [there](#).

## References