



premia

A platform for pricing financial derivatives





Premia, a powerful tool for professional research teams in computational finance

- Efficient computation of prices and hedges for derivative products is a major issue for financial institutions.
- The development of increasingly complex financial products requires advanced stochastic and numerical analysis techniques.
- Premia software is designed for pricing and hedging equity, interest rate, credit and energy derivatives.

Major features of Premia

- A collection of C/C++ routines and scientific documentation (PDF and HTML) for recent algorithms for option pricing, hedging and model calibration

- A powerful testing platform for comparing various methods

- A link between professional financial teams and academic researchers

- A useful teaching support for master and PhD students

Premia Team

- PREMIA is developed by the MATHFI research team uniting scientists in probability, numerical analysis and finance from INRIA and ENPC (France)

- www-rocq.inria.fr/mathfi/

- From 2007, the University of Osaka (Japan) will join the team.

Premia Consortium

- Premia is developed in interaction with a consortium of financial institutions or departments:

- Calyon,
EDF,
Natixis,
and Société Générale
Corporate & Investment
Banking.

- The consortium members contribute to finance the development and help to determine the directions of future research.

- Every year, a new release is delivered to the consortium members and the release n-2 becomes available on Premia web site : www.premia.fr

Platforms and interfaces

- Available for Linux and Windows operating systems
- User interface through command-line interaction with possibility to generate PDF reports
- Scilab/Nsp and Excel interfaces

Premia Content

ALGORITHMS

Pricing algorithms

- Finite differences and finite elements for pricing PDE's
- Monte Carlo methods
- Tree methods
- Approximation methods

Hedging algorithms

Calibration algorithms

FINANCIAL PRODUCTS

Equity derivatives:

European, American, Barrier, Lookback, Asian, Multi-asset options

- Black-Scholes model (up to dimension 10)
- Stochastic volatility models (Dupire, Hull-White, Heston, Fouque-Papanicolaou-Sircar)
- Models with jumps (Merton, Variance Gamma, NIG, Kou, CGMY, Tempered stable)
- Bates model (model with stochastic volatility jumps)

Interest rate derivatives:

Options on Zero Coupon Bond, Caps/Floors, Swaptions, Bermudan Swaptions, Exotic products

- Affine models
- HJM models (Hull-White, Extended CIR, Black-Karasinski, Squared-Gaussian, Li-Ritchken-Sankarasubramanian, Bhar-Chiarella)
- LIBOR Market Models (LMM)
- LMM with stochastic volatility
- LMM with jumps
- Markov-functional interest rate models (Hunt-Kennedy-Pellser)

Credit derivatives:

CDS, CDO and CDO²

- Reduced form models (Hull-White, Extended CIR)
- Copula models

Energy derivatives:

Swing options

- Jump models

Main algorithms

EQUITY DERIVATIVES

● Pricing and Hedging

- **Finite differences**

Finite differences for Asian and Lookback options

Finite differences for Lévy models

Finite differences for stochastic volatility models

Finite elements adaptive methods for local volatility models

- **Monte Carlo methods**

Low discrepancy sequences

Various variance reduction methods

Malliavin approach for computations of the Greeks

Large deviations technics for barrier options (Baldi-Caramellino-Iovino)

American Monte Carlo methods (Longstaff-Schwartz, Tsitsiklis-VanRoy, Barraquand-Martineau, Pagès-Bally, Broadie-Glassermann, Rogers, Malliavin approach)

- **Tree methods**

Barrier options (Ritchken, Cheuk-Vorst, Derman-Kani-Ergener-Bardhan, Rogers-Stapleton)

Asian options (Barraquand-Pudet, Hull-White)

- **Approximation methods**

Asian options (Thompson, Fusai-Tagliani, Laplace/Fourier algorithm, Zhang)

Carr-Madan FFT algorithm in Lévy models and Bates model

- **Dynamic Hedging**

Dynamic Hedging in Black-Scholes model

Dynamic Hedging in Lévy models

- **Calibration**

Dupire model (Lagnado-Osher, Avellaneda, Bally-Temam)

Bates model

INTEREST RATE DERIVATIVES

● Pricing and Hedging

- **Finite differences**

ADI finite differences in Bhar-Chiarella model

- **Monte Carlo methods**

Monte Carlo for bermudan swaptions (Pedersen, Andersen, Kolodko-Schoenmakers, Carr-Yang)

Arbitrage-free discretization (Glassermann)

Glasserman-Merener algorithm in the LMM-jump model

- **Tree methods**

Hull-White algorithm

Schmidt lattice algorithms

Li-Ritchken-Sankarasubramanian lattice algorithm

Bushy tree algorithm in LMM

- **Calibration**

LMM models. Calibration of swaps and caps market data

CREDIT DERIVATIVES

● Pricing and Hedging

Schönbucher tree algorithm

Brigo-Alfonsi Derivatives pricing with the SSRD stochastic intensity model

Hull-White CDO algorithms

Laurent-Gregory algorithms

ENERGY DERIVATIVES

● Pricing and Hedging

Malliavin algorithm

Quantization algorithm

Finite differences



<http://www.premia.fr>